

Mathematics (Advanced Higher): question paper 2

## Commentary on candidate evidence

Workshop 2

## Commentary on candidate evidence

The evidence for the following candidates has achieved the marks given below:

## Question 5(a)

## Candidate 1

The candidate was awarded 3 marks.
As shown in Commonly Observed Response C, the candidate's incorrect use of an equals sign was disregarded, and mark 1 was awarded. Mark 2 was awarded for the correct simplification of $x$ terms. The candidate had subsequently corrected the omission of brackets round -2 , so mark 3 was awarded.

## Candidate 2

The candidate was awarded 2 marks.
Evidence for marks 1 and 2 was present. The candidate did not simplify the $x$ terms, so mark 3 was not awarded.

## Candidate 3

The candidate was awarded $\mathbf{3}$ marks.
Evidence for the award of marks 1 and 2 was present. The candidate had subsequently corrected the omission of brackets round $3 x$, so this was treated as bad form and mark 3 was awarded.

## Candidate 4

The candidate was awarded 2 marks.

Evidence for the award of marks 1 and 2 was present. The candidate did not correct the omission of brackets round -2 , so mark 3 was not awarded.

## Question 7(a)

## Candidate 5

The candidate was awarded 4 marks.
The candidate had correctly determined the integrating factor and implemented a formula approach therefore marks 1,2 and 3 were awarded. The candidate handled the constant of integration appropriately, producing the correct particular solution, so mark 4 was awarded.

## Candidate 6

The candidate was awarded $\mathbf{3}$ marks.

The candidate had correctly determined the integrating factor and implemented a formula approach therefore marks 1, 2 and 3 were awarded. The candidate did not handle the constant of integration correctly, so mark 4 was not awarded.

## Candidate 7

The candidate was awarded $\mathbf{0}$ marks.

The candidate did not find an integrating factor and integrated the three terms in the equation with respect to $x, y$ and $x$ respectively therefore marks $1,2,3$ and 4 were unavailable.

## Question 10

## Candidate 8

The candidate was awarded 5 marks.
The candidate took logs of both sides, applied the relevant rule, differentiated $\ln y$, applied the product rule and rearranged correctly, so marks $1,2,3,4$ and 5 were awarded. It was not necessary to take out a common factor of 5 .

## Candidate 9

The candidate was awarded 3 marks.
The candidate took logs of the right-hand side only, then proceeded as if they had taken logs of the left-hand side also. This meant that the second line was incorrect, and the third line did not follow from it, so marks 1 and 2 were not awarded. Since the error did not involve copying an expression, it could not be
treated as a transcription error. The rest of the solution was carried out correctly, and marks 3,4 and 5 were awarded.

## Candidate 10

The candidate was awarded 4 marks.

The candidate took logs of both sides, applied the relevant rule, differentiated $\ln y$, applied the product rule and rearranged correctly, so marks 1, 2, 3 and 4 were awarded. The candidate went on to produce an incorrect rearrangement of the derivative. In accordance with the detailed marking instructions, mark 5 was not awarded.

## Question 11(b)

## Candidate 11

The candidate was awarded $\mathbf{3}$ marks.
Evidence was present for the award of marks 2,3 and 5 . The candidate incorrectly interpreted the rate of change of volume with respect to time and did not give a unit in their final answer, so marks 4 and 6 were not awarded.

## Candidate 12

The candidate was awarded 4 marks.
Evidence was present for the award of marks 2,3 and 5 . The candidate incorrectly interpreted the rate of change of volume with respect to time, so mark 4 was not awarded. They did give a correct unit in their final answer, so mark 6 was awarded.

## Question 12

## Candidate 13

The candidate was awarded 5 marks.

The candidate demonstrated that the result was true for $\mathrm{n}=1$, correctly stated and applied the inductive hypothesis, and carried out the required algebra, so marks $1,2,3$ and 4 were awarded. In the final statement, the requirement to communicate implication was met by the appropriate use of 'when' and mark 5 was awarded.

## Candidate 14

The candidate was awarded 3 marks.
The candidate demonstrated that the result was true for $n=1$, and correctly stated and applied the inductive hypothesis, so marks 1,2 and 3 were awarded in accordance with note 3 of the marking instructions. The following algebra was incorrect, so marks 4 and 5 were not awarded.

## Candidate 15

The candidate was awarded 4 marks.
The candidate substituted and demonstrated that the result was true for $n=1$, correctly stated and applied the inductive hypothesis, and carried out the required algebra, so marks 1, 2, 3 and 4 were awarded. In the final communication, the candidate referred to the truth of the value of $n$ rather than the truth of the statement, so mark 5 was not awarded.

## Question 13

## Candidate 16

The candidate was awarded 6 marks.
The candidate's solution corresponded with a Commonly Observed Response, except that the constant of integration had been on the other side. The candidate had handled this correctly and had arrived at a final answer which was equivalent to the required response. All six marks were awarded.

